

Empirical relationship between GOES optical depth and ARM SGP radar-lidar cloud thickness for Deep Convective Clouds

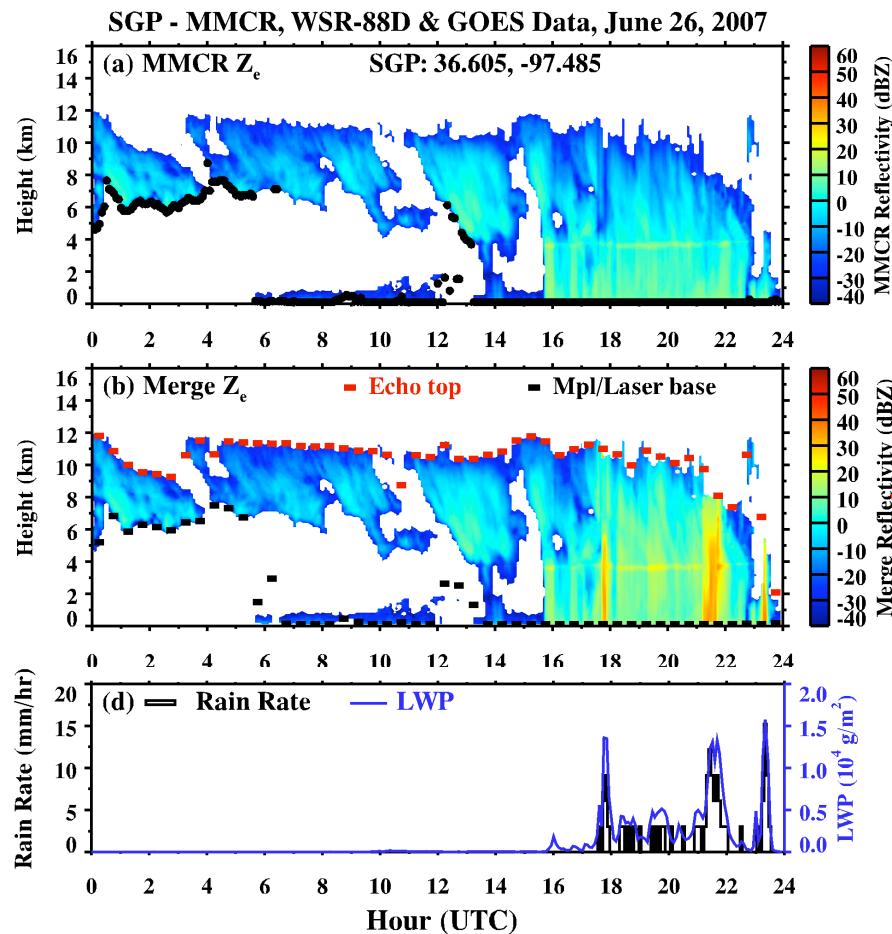
Zhe Feng, Xiquan Dong, and Baike Xi
University of North Dakota

Estimate Cloud Thickness

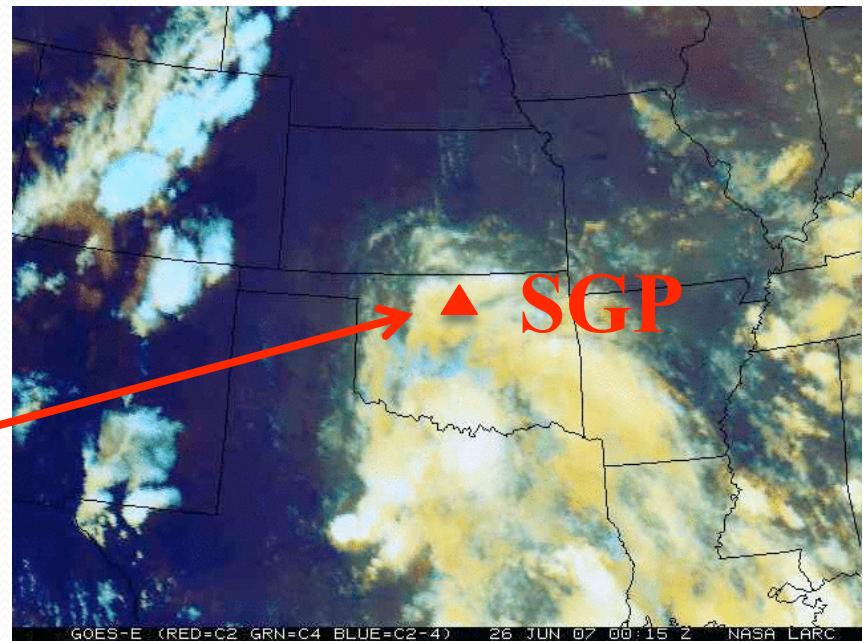
- Use GOES retrieved optical depth to estimate cloud physical thickness
- Focus on *optically thick clouds* (i.e. deep convective clouds)
- Cases selected from 10-years ARM SGP MMCR and WSR-88D combined reflectivity data (Feng. et al. 2009)
- GOES results retrieved from Pat Minnis group

Deep Convective Cloud

SGP MMCR+WSR-88D



GOES RGB Image



Data Filter

- GOES pixel level optical depth **averaged within 10-km radius**, centered at SGP site
- MMCR cloud thickness **averaged ±10 min** at GOES scan time
- **Liquid cloud** identified by GOES are not used
- **Cirrus** ($z_{\text{base}} > 6 \text{ km}$) are not used
- **Multi-layer cloud** with maximum single layer thickness $< 5 \text{ km}$ are not used
- **Thin clouds** (thickness $< 2 \text{ km}$) are not considered

Data Filter (continued')

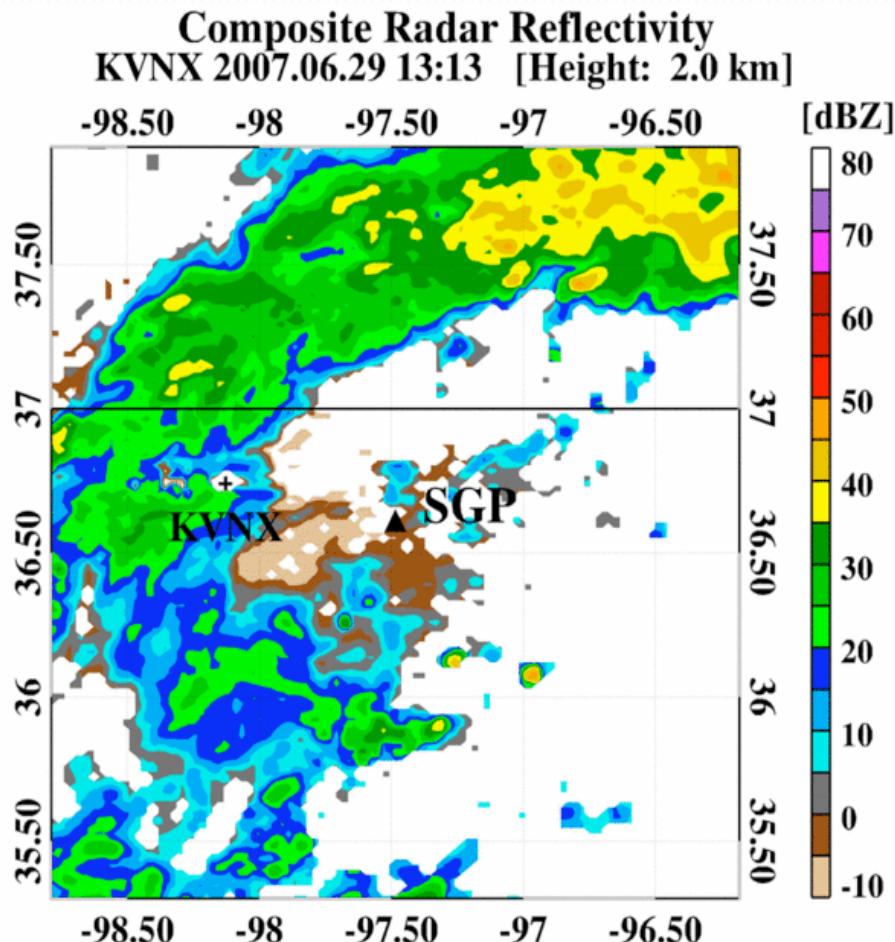
- GOES data separated to daytime (VISST) and nighttime (SIST) retrieved optical depth
- Cloud cover > 95% in 10-km radius
- Cloud homogeneity (U) is used to constrain the comparison:

$$U = \tau_{\sigma} / \bar{\tau}$$

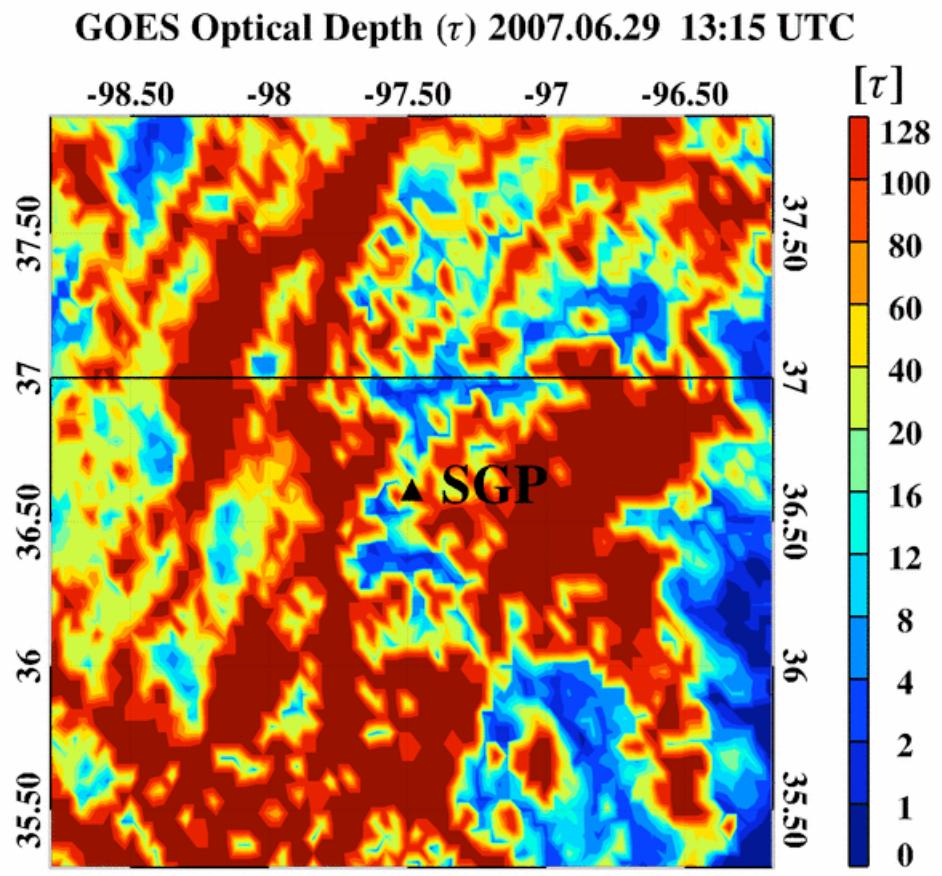
- $U < 0.15$ is considered very uniform cloud, on the other hand, $U > 0.5$ is not

Sample Case (Daytime)

WSR-88D Reflectivity

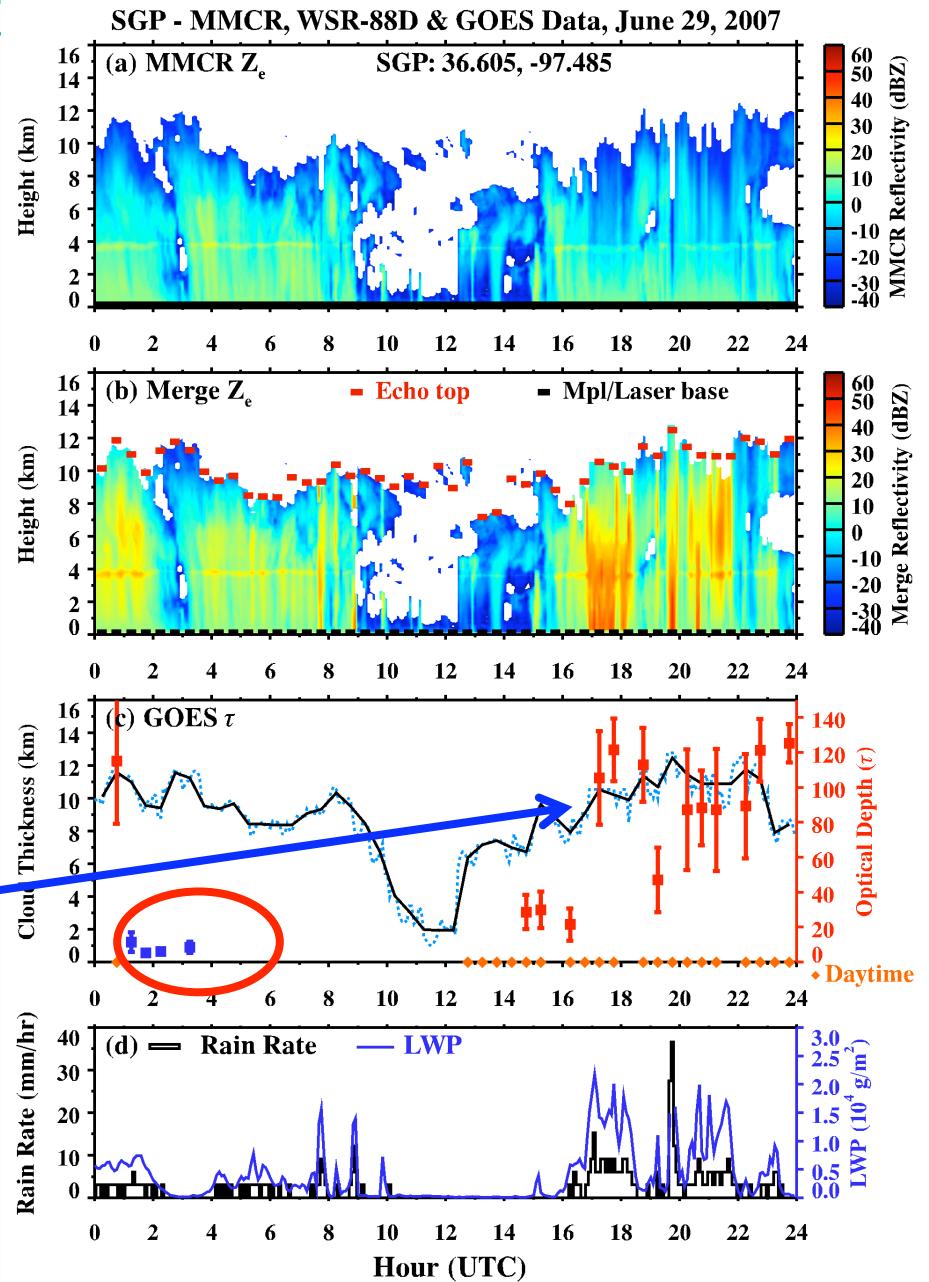


GOES Optical Depth



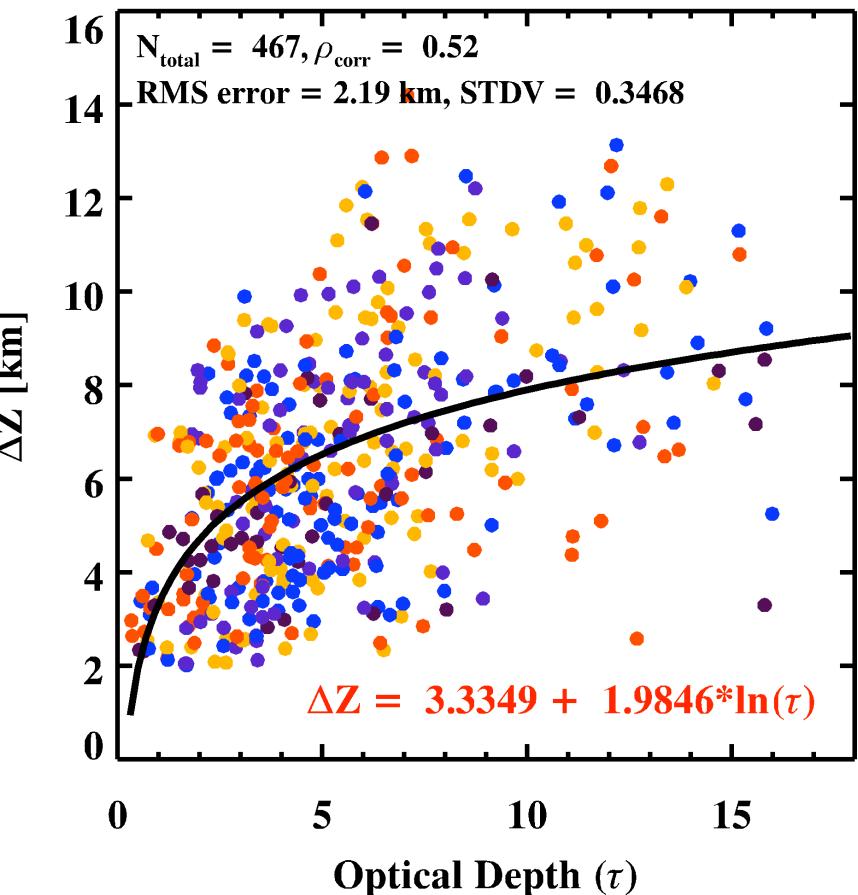
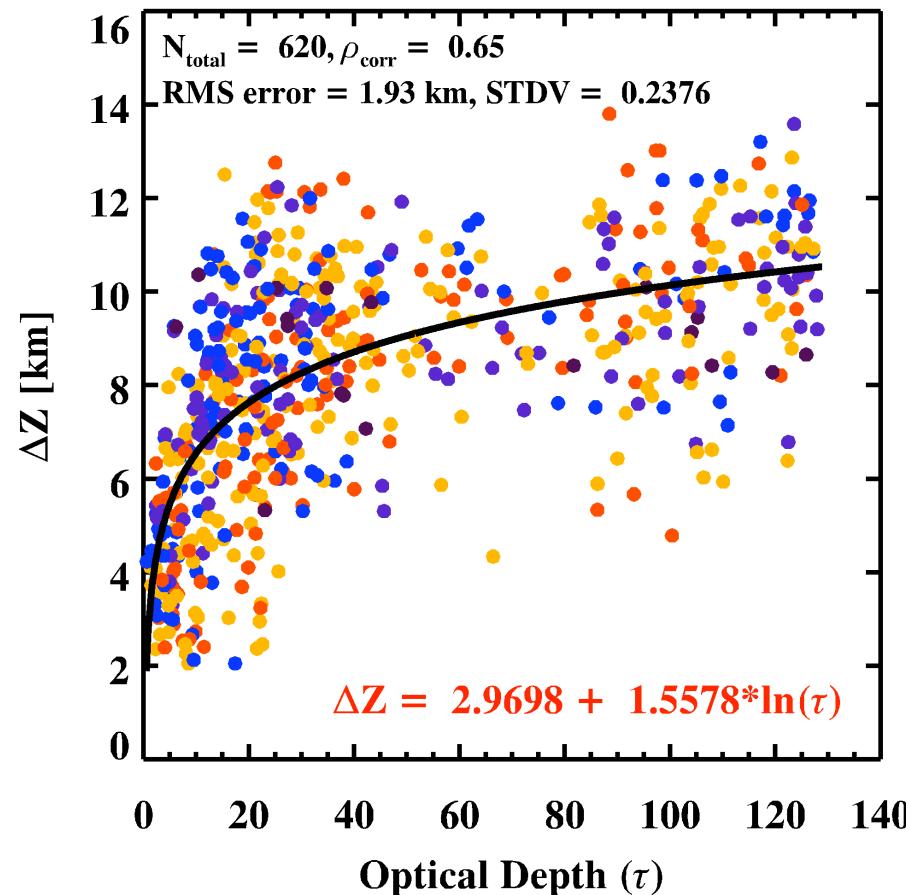
SGP Data

- Daytime optical depth is an order of magnitude larger than nighttime
- τ generally increases with physical thickness
- But significant variations shows DCC very dynamic
 - Cloud gaps (~ 19.5 UTC)
 - Large τ_σ
- Data shown here all have $\tau_\sigma/\tau_{mean} < 0.5$



Result ($\tau_\delta/\tau_{mean} < 0.5$)

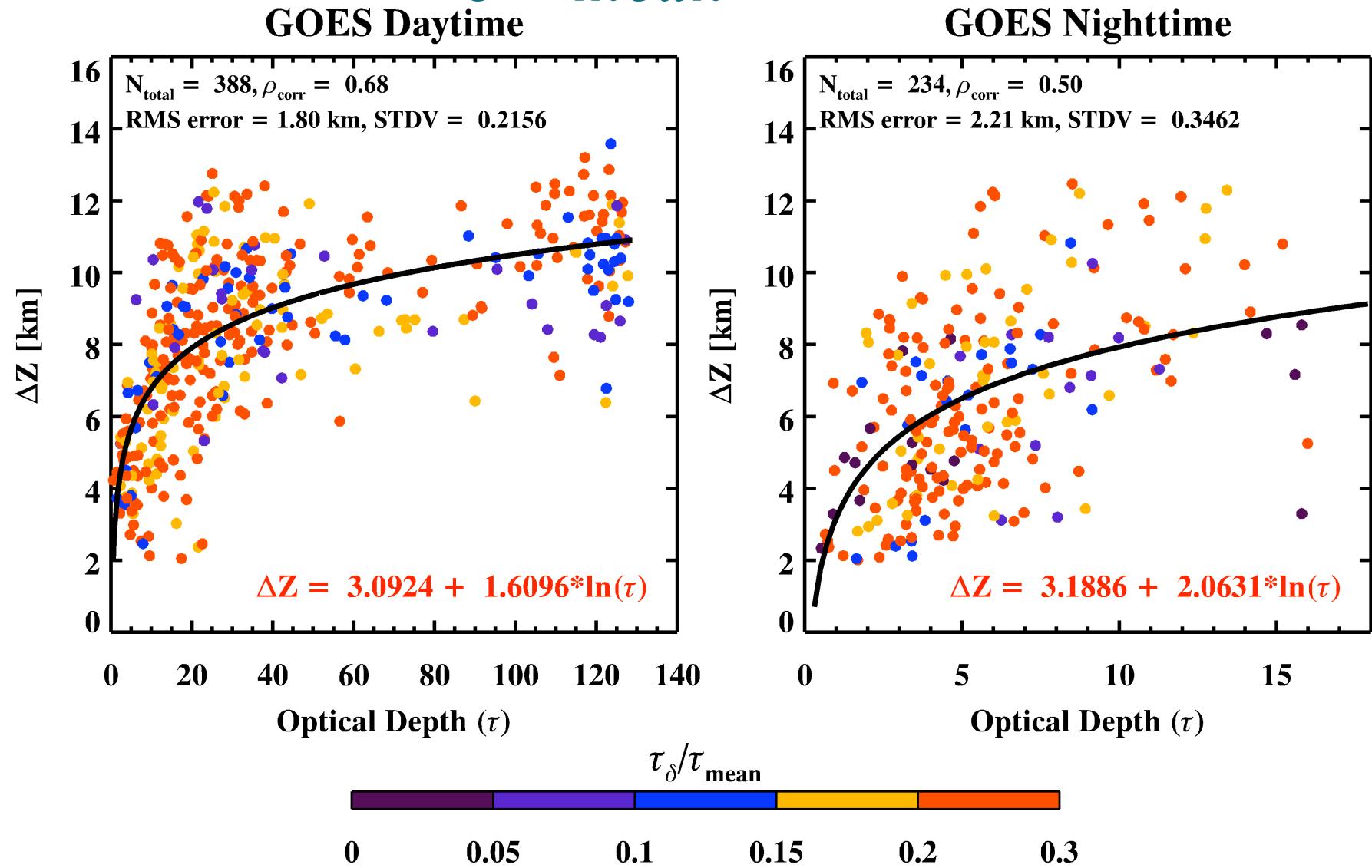
GOES Daytime GOES Nighttime



τ_δ/τ_{mean}



Result ($\tau_\delta/\tau_{mean} < 0.3$)



Z_{thick} Empirical Fit

- For $\tau_\sigma/\tau_{\text{mean}} < 0.5$, the function fits are

- Daytime ($N = 620$)

$$\Delta Z = 2.9698 + 1.5578 \cdot \ln(\tau)$$

- RMS error = 1.93 km, correlation coefficient = 0.65

- Nighttime ($N = 467$)

$$\Delta Z = 3.3349 + 1.9846 \cdot \ln(\tau)$$

- RMS error = 2.19 km, correlation coefficient = 0.52

Z_{thick} Empirical Fit

- For $\tau_\sigma/\tau_{\text{mean}} < 0.3$, the function fits are

- Daytime ($N = 388$)

$$\Delta Z = 3.0924 + 2.0631 \cdot \ln(\tau)$$

- RMS error = 1.80 km, correlation coefficient = 0.68

- Nighttime ($N = 234$)

$$\Delta Z = 3.1866 + 2.0631 \cdot \ln(\tau)$$

- RMS error = 2.21 km, correlation coefficient = 0.50